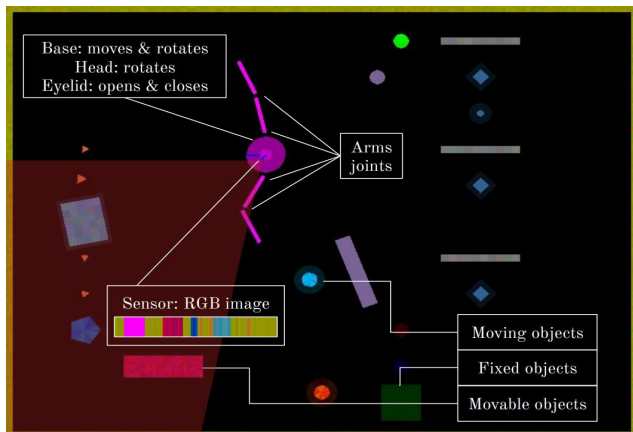


Embodied agent scenario.

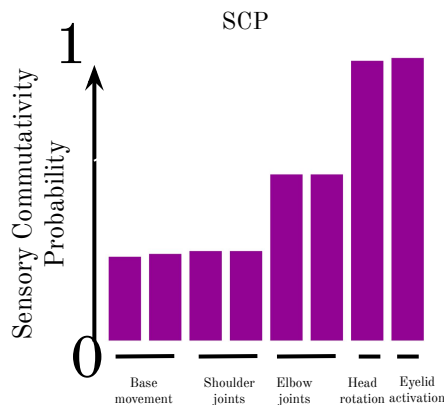


Sensory Commutativity Probability (SCP).

Definition 2 (Sensory commutativity probability of a degree of freedom). Let $Seq(\mathcal{M}_k)$ be the set of motor commands (or action) sequences of finite length for the k^{th} degree of freedom of \mathcal{M} (motor state space). Let $h \in Seq(\mathcal{M}_k)$ and let h_p be a random permutation of h (same sequence but different order).
The Sensory Commutativity Probability of the k^{th} degree of freedom $SCP(\mathcal{M}_k)$ is defined as:

$$SCP(\mathcal{M}_k) = \mathbb{P}_{m_t, \epsilon_t, h} [h \sim_{m_t, \epsilon_t} h_p]$$

SCP creates a hierarchy of the degrees of freedom of the agent.

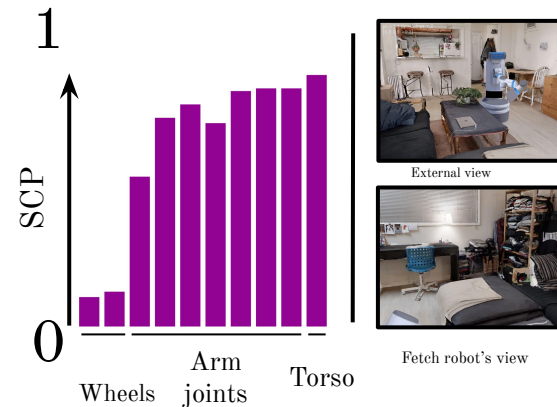


Sensory Commutativity of Action Sequences:

$$a_1 \circ a_2 \circ a_3 \stackrel{sensors}{m, \epsilon} a_3 \circ a_1 \circ a_2$$

“produces the same sensors when played from the starting point”

SCP scales to complex 3D robotics environments.



SCP can be useful for RL.

